New constraints on the disk characteristics and companion candidates around T Chamaeleontis with VLT/SHERE*


(Affiliations can be found after the references)

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Context. The transition disk around the T Tauri star T Cha possesses a large gap, making it a prime target for high-resolution imaging in the context of planet formation.

Aims. We aim to find signs of disk evolutionary processes by studying the disk geometry and the dust grain properties at its surface, and to search for companion candidates.

Methods. We analyze a set of VLT/SHERE data at near-infrared and optical wavelengths. We performed polarimetric imaging of T Cha with IRDIS (1.6 µm) and ZIMPOL (0.5–0.9 μm), and obtained intensity images from IRDIS dual-band imaging with simultaneous spectro-imaging with IFS (0.9–1.3 μm).

Results. The disk around T Cha is detected in all observing modes and its outer disk is resolved in scattered light with unprecedented angular resolution and signal-to-noise. The images reveal a highly inclined disk with a noticeable east-west brightness asymmetry. The significant amount of non-azimuthal polarization signal in the Uλ images, with a Uλ/Qλ peak-to-peak value of 14%, is in accordance with theoretical studies on multiple scattering in an inclined disk. Our optimal axisymmetric radiative transfer model considers two coplanar inner and outer disks, separated by a gap of 0′′28 (∼30 au) in size, which is larger than previously thought. We derive a disk inclination of ~69 deg and PA of ~114 deg. In order to self-consistently reproduce the intensity and polarimetric images, the dust grains, responsible for the scattered light, need to be dominated by sizes of around ten microns. A point source is detected at an angular distance of 3.5′′ from the central star. It is, however, found not to be co-moving.

Conclusions. We confirm that the dominant source of emission is forward scattered light from the near edge of the outer disk. Our point source analysis rules out the presence of a companion with mass larger than ~8.5 Mjup between 0′′1 and 0′′3. The detection limit decreases to ~2 Mjup for 0′′3 to 4.0′′.

Key words. stars: individual: T Cha – protoplanetary disks – techniques: polarimetric – radiative transfer – scattering – circumstellar matter

1. Introduction

Recently developed high-resolution and high-contrast imaging instruments provide the excellent capability to directly obtain images of protoplanetary disks in scattered light and thermal emission. Protoplanetary disks are optically thick in the optical and near-infrared (NIR), so that scattered light imaging probes (sub-)micron-sized dust grains in the disk surface layer. Con- trarily, (sub-)mm observations trace larger, mm-sized grains located in the disk midplane. The detection of (non-)axisymmetric disk features is fundamental in improving our current understanding of disk evolution and planet formation. Transition disks with large gas and dust gaps (see e.g. mid-infrared surveys by Brown et al. 2007; Merin et al. 2010; van der Marel et al. 2016 and mm observations by Isella et al. 2010a,b; Andrews et al. 2011; van der Marel et al. 2015) are particularly interesting targets, since they host possible planet-forming hotspots and may show signposts of planet-host disk interaction processes. In recent observational studies, giant gaps and cavities have been directly imaged in scattered light observations of transition disk systems (e.g., Thalmann et al. 2010, 2015; Hashimoto et al. 2012; Avenhaus et al. 2014; Follette et al. 2015; Ohta et al. 2016; Stolker et al. 2016; Benisty et al. 2017).

T Chamaeleontis (T Cha) is a ~2–12 Myr old (Brown et al. 2007; Torres et al. 2008; Murphy et al. 2013) T Tauri star (spectral type G8, Alcala et al. 1993) at an estimated distance of 107 ± 3 pc (first Gaia data release, Gaia Collaboration 2016) surrounded by a transition disk. Several recent studies covering a wide wavelength range dealt with constraining the disk geometry around T Cha. Brown et al. (2007) studied its spectral energy distribution (SED), which features a significant deficit of mid-infrared (MIR) emission. With radiative transfer based SED fitting they modeled this deficit by introducing a gap between 0.2 and 15 au, dividing the disk into two spatially separated parts. Hence, it became a prime candidate for investigating signatures of ongoing planet formation. Olofsson et al. (2011) presented spatially resolved, interferometric observations at high angular resolution in the NIR from the AMBER instrument at the Very Large Telescope Interferometer (VLTI) to study the inner disk’s structure. The inner disk is found to be extremely narrow and located close to the star with an extension from 0.13

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** Corresponding author: A. Pohl, e-mail: pohl@mpia.de

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to 0.17 au. Olofsson et al. (2013) presented a radiative transfer model accounting for several further interferometric and photometric observations, including VLTI/PIONIER, VLTI/MIDI and NACO/SpARSE Aperture Masking (SAM) data, which further constrains the inner disk to extend from 0.07 to 0.11 au. Further SED modeling of T Cha by Cieza et al. (2011) suggests that there is a high degeneracy especially for the outer disk geometry, since a very compact outer disk provides an equally good fit to the Herschel data as a much larger, but tenuous disk with a very steep surface density profile. High-resolution Atacama Large Millimeter/sub-millimeter Array (ALMA) observations of the 850 µm dust continuum as well as of several emission lines presented by Huélamo et al. (2015) spatially resolved the outer disk around T Cha and helped to break the degeneracy of previous outer disk models. They report a compact dusty disk, where the continuum intensity profile displays two emission bumps separated by 40 au, indicating an inner gap radius of 20 au and an outer disk radius of ∼80 au. In contrast, the gaseous disk is larger by almost a factor of three, giving a radius of ∼230 au based on the detection of CO(3–2) molecular emission. Huélamo et al. (2015) derived a disk inclination (incl) of 67° ± 5° and a position angle (PA) of 113° ± 6° by fitting a Gaussian to the CO(3–2) integrated emission map.

All previous observations clearly confirm that there must be a significant gap in the disk dust density distribution, while its origin is still debated. In general, radial gap structures can be created by a number of processes, including grain growth (e.g., Dullemond & Dominik 2005), effects of the magneto-rotational instability (MRI) at the outer edge of a dead-zone (e.g., Flock et al. 2015), a close (sub-)stellar companion or the dynamical interaction of a planet formed within the disk (e.g., Rice et al. 2003). For the latter, the disk density modification results from the torques exerted on the disk by the planet and by the disk itself. The planet pushes away the surrounding material, the outer part of the disk outward and the inner part inward, thereby opening a gap (e.g., Lin & Papaloizou 1979; Crida et al. 2006). Studies of observational signatures of planet-disk interaction processes based on numerical simulations suggest that gaps detected in scattered light may be opened by planets (e.g., Pinilla et al. 2015; Dong et al. 2015, 2016; Juhász et al. 2015; Pohl et al. 2015). Using NACO/SAM Huélamo et al. (2011) detected a companion candidate at a projected distance of 6.7 au from the primary, which is well within the previously described disk gap. However, an analysis of several L′ and K′ data sets covering a period of three years ruled out this companion hypothesis (Olofsson et al. 2013; Cheetham et al. 2015). The absence of relative motion for the companion candidate favors a stationary structure consistent with scattered light from a highly inclined disk. Sallum et al. (2015) checked if the closure phase signal from their VLT/NACO and Magellan/MagAO/Clio2 data shows any variation in time, which is not expected for the disk scattering model. While NACO L′ data from 2011 and 2013 support the hypothesis of constant scattered light from the disk, the best fits for two other NACO data sets are inconsistent, requiring temporal variability in the amount of scattered light. Apart from this variability argument, Sallum et al. (2015) showed by means of Monte Carlo simulations that noise fluctuations could also cause the changing structure in the NACO and MagAO reconstructed images.

In this work we present the first scattered light observations of T Cha obtained with the SPHERE instrument (Spectro-Polarimeter High contrast Exoplanet REsearch, Beuzit et al. 2008) at the Very Large Telescope (VLT). The target is now one of the few T Tauri stars to have been spatially resolved in high detail in scattered light. We used Polarimetric Differential Imaging (PDI) complemented with total intensity images obtained with the angular differential imaging (ADI) technique. The observations provide the first spatially resolved high-contrast images of T Cha in the optical and NIR. Our focus is set on analyzing the scattered light properties of the disk. We perform physical modeling of the disk via radiative transfer calculations, which helps us to further constrain the disk’s geometry and grain size distribution. Images in the full Stokes vector are calculated in order to consistently reproduce the observed total and polarized intensity. Furthermore, the total intensity images are used for a detailed search for substellar companion candidates and, in case of non-detection, to place constraints on the mass of putative companions using the detection limits. This paper is laid out as follows. In Sect. 2 we describe our observations and the data reduction procedures; their results are shown in Sect. 3. Section 4 presents our results of the radiative transfer disk modeling and the search for substellar companions. A detailed discussion in Sect. 5 follows. In Sect. 6 we summarize the main conclusions of this work.

2. SPHERE observations and data reduction

Observations of T Cha were performed during the nights of 30 May 2015, 19 February 2016, and 31 March 2016 with several sub-systems of the high-contrast imager SPHERE equipped with an extreme adaptive optics system (SAXO, Fusco et al. 2006, 2014) and mounted on the VLT at Cerro Paranal, Chile. All observations were part of the SPHERE consortium guaranteed time program under IDs 095.C-0298(B) and 096.C-0248(B/C). The Infra-Red Dual-beam Imager and Spectrograph (IRDIS, Dohlen et al. 2008) and the Zurich IMaging POLarimeter (ZIMPOL, Thalmann et al. 2008; Schmid et al. 2012) were used in Dual-band Polarimetric Imaging (DPI) mode (Langlois et al. 2014) and in field stabilized (P2) mode, respectively. In addition, data were taken simultaneously with IRDIS in Dual-Band Imaging (DBI, Vigan et al. 2010) mode and the Integral Field Spectrograph (IFS, Claudi et al. 2008). In this IRDIS mode, IRDIS is operated in the filter pair H2H3 (1.593 µm and 1.667 µm) and IFS in YJ (0.95–1.35 µm) mode. Table 1 summarizes the observations and instrumental setups for each instrument. The Strehl ratio estimation (provided by SPARTA files) is based on an extrapolation of the phase variance deduced from the reconstruction of SAXO open-loop data using a deformable mirror, tip-tilt voltages, and wavefront sensor closed-loop data (Fusco et al. 2004). The observing conditions and the different data reduction methods for each data set taken by the various sub-systems are described in detail in Sects. 2.1–2.3.

2.1. IRDIS-DPI (H-band)

The IRDIS-DPI observations of T Cha were carried out on 19 February 2016 with the BB_H filter (λc = 1.625 µm) using an apodized pupil Lyot coronagraph with a mask diameter of ∼185 mas (Soummer 2005; Boccaletti et al. 2008). Dark and flat field calibration were obtained during the following day. Thirty polarimetric cycles were taken, consisting of one data cube for each of the four half wave plate (HWP) positions (0°, 45°, 22.5° and 67.5°). Dedicated coronagraphic images were taken at the beginning and at the end of the science sequence to determine accurately the position of the star behind the coronagraph. For this calibration a periodic amplitude is applied to the deformable mirror, which produces four equidistant, crosswise satellite spots
Table 1. Overview of observational data sets.

<table>
<thead>
<tr>
<th>Date</th>
<th>Instrument</th>
<th>Mode</th>
<th>Filter</th>
<th>DIT [s] × NDIT</th>
<th>PC</th>
<th>t_wm [min]</th>
<th>Seeing [&quot;]</th>
<th>H-band Strehl [%]</th>
</tr>
</thead>
<tbody>
<tr>
<td>2015 May 30</td>
<td>IRDIS</td>
<td>IRDIFS</td>
<td>DB_H2H3</td>
<td>64 × 96</td>
<td>–</td>
<td>102</td>
<td>0.5–0.85</td>
<td>27 ± 13</td>
</tr>
<tr>
<td>2015 May 30</td>
<td>IFS</td>
<td>IRDIFS</td>
<td>YJ</td>
<td>64 × 96</td>
<td>–</td>
<td>102</td>
<td>0.5–0.85</td>
<td>27 ± 13</td>
</tr>
<tr>
<td>2016 February</td>
<td>IRDIS</td>
<td>DPI</td>
<td>H</td>
<td>32 × 1</td>
<td>30</td>
<td>64</td>
<td>0.9–1.0</td>
<td>76 ± 4</td>
</tr>
<tr>
<td>2016 March 31</td>
<td>ZIMPOL</td>
<td>P2</td>
<td>VBB</td>
<td>40 × 2</td>
<td>18</td>
<td>96</td>
<td>0.8–1.1</td>
<td>87 ± 3</td>
</tr>
</tbody>
</table>

Notes. Both filters of ZIMPOL were set to the Very Broad Band (VBB) filter covering a wide wavelength regime from R- to I-band. The following coronagraphs were used: N_ALC_YJH_SDIT for IRDIS/IFS and V_CLC_S_WF for ZIMPOL. DIT stands for the detector integration time and NDIT corresponds to the number of frames in the sequence. PC indicates the number of polarimetric cycles. The Strehl is calculated for the H-band. This leads to a Strehl of ~43% for the ZIMPOL data at 0.65 μm.

... of the stellar PSF outside of the coronagraph. The data were reduced following the prescriptions of Avenhaus et al. (2014) and Ginski et al. (2016), who consider the radial Stokes formalism. The first step consists of standard calibration routines, including dark-frame subtraction, flat-fielding and bad-pixel correction. These images are split into two individual frames representing the left and right sides (parallel and perpendicular polarized beams, respectively), and the precise position of the central star is measured using the star center calibration frames on both image sides separately. Then, the right side of the image is shifted and subtracted from the left side. To obtain clean Stokes Q and U images, that is, to correct for instrumental polarization downstream of the HWP’s position in the optical path, Q’ = Q – Q0 (0° and 45°), and U’ and U0 (22.5° and 67.5°) are subtracted, respectively. However, there might be still an instrumental polarization left upstream of the HWP in the final Q and U images, which is assumed to be proportional to the total intensity image as shown in Canovas et al. (2011). To obtain this residual instrumental signal, the azimuthal Stokes components are computed from (cf. Schmid et al. 2006).

\[
\begin{align*}
Q_\phi &= +Q \cos 2\phi + U \sin 2\phi, \\
U_\phi &= -Q \sin 2\phi + U \cos 2\phi.
\end{align*}
\]

The azimuth \(\phi\) is defined with respect to the stellar position \((x_0, y_0)\) as

\[
\phi = \arctan \frac{x - x_0}{y - y_0}.
\]

As shown by Canovas et al. (2015), the signal in the \(U_\phi\) frame should be small for a centrally illuminated symmetrical disk. We thus determined the scaling factor for our second instrumental polarization correction such that the (absolute) signal in an annulus around the central star in the \(U_\phi\) frame is minimized. We then subtract the scaled Stokes I frame from the \(Q\) and \(U\) frame and use these final corrected frames to create the \(Q_\phi\) and \(U_\phi\) images displayed in Fig. 1.

To cross-check the IRDIS-DPI results, and especially to test the reliability of the \(U_\phi\) minimization technique in the context of an inclined disk, we additionally perform an alternative reduction procedure. This includes a proper polarimetric calibration using a Mueller matrix model, whose details will be presented in van Holstein et al. (in prep.) and de Boer et al. (in prep.). A short explanation of the method and the corresponding results for T Cha can be found in Sect. 3.1 and Fig. 2.

2.2. ZIMPOL P2 (VBB filter)

T Cha was observed during the night of 31 March 2016 with the SlowPolarimetry detector mode of ZIMPOL using the very broad band filter (VBB). The VBB filter covers a wide wavelength range from R- to I-band (0.55–0.87 μm). These observations were also obtained with an apodized Lyot coronagraph (mask diameter of ~185 mas).

The ZIMPOL data were reduced following mostly the same strategy as described for the IRDIS data in the previous section. The main difference between the two data sets is the different structure of the ZIMPOL data. In ZIMPOL the two perpendicular polarization directions for each HWP position are recorded quasi-simultaneously on the same detector pixels. For a more detailed description of the instrument and the specialized data reduction steps involved we refer to Thalmann et al. (2008) and Schmid et al. (2012). We process both ZIMPOL detector images independently and only combine the images after the final data reduction to increase the S/N. We first bias subtract and flat field the individual frames. We then extract the two perpendicular polarization directions from the interleaved rows in each frame, resulting in two 1024 × 512 pixel images per original frame. We then correct for charge-shifting artifacts by always combining two consecutive frames of the observation sequence. To create quadratic images we then bin each image by a factor of two along the x-axis. Finally we subtract the two perpendicular polarization directions from each other to get \(Q^*\), \(Q^*\), \(U^*\) and \(U^*\) frames (depending on the HWP position). These are then combined to create the final \(Q\) and \(U\) frames identical to the IRDIS reduction. In a last step we again calculate the azimuthal Stokes components \(Q_\phi\) and \(U_\phi\) and employ the instrumental polarization correction from Canovas et al. (2011). The resulting images (after combination of both ZIMPOL images) are also displayed in Fig. 1.

2.3. IRDIS-DBI (H2H3-bands) and IFS (YJ-band)

T Cha IRDIFS observations where obtained during the night of 30 May 2015 as part of the SpHere INfrared survey for Exoplanets (SHINE; Chauvin et al., in prep.) using the SHINE standard setup: pupil-stabilized images with IFS operating in YJ mode (39 channels between 0.95 and 1.35 μm) and IRDIS working in DBI mode using the H2H3 filter pair \((\lambda_{H2} = 1.593\text{μm}; \lambda_{H3} = 1.667\text{μm}). This observing strategy allows for performing ADI (Marois et al. 2006) in order to reach high contrast. The spectral resolution of IFS YJ data amounts to \(R \sim 50\). The observations lasted about 6100 s with a field rotation of ~28°. Since the target is located far to the south, obtaining a good rotation is challenging. The unstable weather conditions (Different Image Motion Monitor (DIMM) seeing varied from 0′/5 to 0′/85 and clouds passing by) caused flux variations of up to one order of magnitude during the sequence.
The basic steps of the first IRDIS data reduction consist of flat-field and bad-pixel correction, cosmic ray detection and correction, and sky subtraction. Because of the variable atmospheric conditions during the observations, a very strict frame selection is applied at the end of the basic reduction and eventually only 42 out of 96 frames were used. This corresponds to selecting frames with Strehl ratio larger than ~25%. The modeling and subtraction of the speckles follows the MPIA-PCA pipeline from André Müller. This is based on a principal component analysis (PCA) after Absil et al. (2013), which uses the Karhunen-Loève Image Projection (KLIP) algorithm from Soummer et al. (2012). We apply the following basic reduction steps: (1) Gaussian smoothing with half of the estimated FWHM; (2) normalization of the images based on the measured peak flux of the PSF images; (3) PCA and subtraction of the modeled noise; and (4) derotation and averaging of the images. Each frame is divided into annuli of the size of the estimated FWHM. The noise of a single frame and annulus is modeled by PCA using a fixed value of five modes, which is found to be the best value after several attempts. In addition, only frames for modeling the noise of the individual frame were selected where a minimum protection angle can be guaranteed. This means that with this adaptive approach the effect of self subtraction for an extended source is minimized and the S/N maximized.

To cross-check the IRDIS-DBI results, we perform a parallel reduction using the SPHERE Data Reduction and Handling pipeline (DRH, Pavlov et al. 2008) implemented at the SPHERE Data Center. This includes dark and sky subtraction, bad-pixel removal, flat-field correction, anamorphism correction, and wavelength calibration. After these first steps the data were sorted according to their quality. Because of the difficult observing conditions, we use stringent frame selection
(using 77 frames out of 96). This roughly corresponds to selecting frames with Strehl ratio greater than 15% and leads to an average H-band Strehl of ∼33%. The location of the star is identified with the four symmetrical satellite spots generated from a waffle pattern on the deformable mirror. Then, to remove the stellar halo and to achieve high-contrast, the data were processed with the SpeCal pipeline developed for the SHINE survey (Galicher et al., in prep.); this implements a variety of ADI-based algorithms: Classical Angular Differential Imaging (cADI, Marois et al. 2006), Template Locally Optimized Combination of Images (TLOCI, Marois et al. 2006) and PCA (Soummer et al. 2012; Amara & Quanz 2012). In the following we discuss the results based on the TLOCI, and PCA images for the morphology and photometric analyses. Separate reductions were performed for the extraction of the disk. In particular, for the SpeCal PCA reduction a small number of PCA modes is used in order to enable optimal retrieval of the disk. The reduced number of modes, between two and four, are determined by maximizing the SNR inside a region delimited by the disk location. For the contrast curves, TLOCI images were considered because they provide the best compromise of contrast, stellar rejection, and throughput correction for the point source detection.

The data reduction for the IFS is performed using tools available at the SPHERE Data Center at IPAG following the procedure described in Mesa et al. (2015) and in Zurlo et al. (2014). Using the SPHERE DRH software we apply the appropriate calibrations (dark, flat, spectral positions, wavelength calibration and instrument flat) to create a calibrated datacube composed of 39 images of different wavelengths for each frame obtained during the observations. Similar to the procedure used for IRDIS, in order to take into account the very variable weather conditions, we apply a frame selection resulting in 76 frames out of the original 96. A frame is considered as “bad” if the adaptive optics loop opens or the star exits the coronagraph region, causing an excess of light in the central part of the image. For each frame two central areas with 20 and 160 pixels per side are defined, for which the flux ratio is determined. Frames are rejected by an automated sorting if this ratio exceeds 130% of the median value. The position of the star behind the coronagraph is estimated from images with four satellite spots, symmetric with respect to the central star taken just before and after the standard coronagraphic observations. Exploiting these images we are then able to define the re-scaling factor for images at different wavelengths to maintain the speckle pattern as stable as possible. Moreover, we are able to combine those images using the PCA algorithm from Soummer et al. (2012) to implement both ADI and Spectral Differential Imaging (SDI, Racine et al. 1999) in order to remove the speckle noise.

3. Results
The disk of T Cha is detected in all data sets presented in this study. The analysis of the disk geometry primarily focuses on the IRDIS-DPI and IRDIS-ADI images (see Sect. 4.1). Furthermore, the ADI images are used to search for point-source signals focusing on non-polarized companions, because this data set reaches a higher contrast (Sects. 4.2 and 4.3).

3.1. Polarized intensity images
Figure 1 shows the reduced $Q_\phi$ and $U_\phi$ images of the IRDIS-DPI H-band and ZIMPOL VBB observations of T Cha described in Sects. 2.1 and 2.2. The dark central region corresponds to the area masked by the coronagraph. The disk is clearly detected in the IRDIS $Q_\phi$ image, which gives by far the best quality view of the outer disk structure and its rim in scattered light for T Cha. Our SPHERE observations support a high disk inclination with respect to the line of sight, in agreement with the model by Huélamo et al. (2015). Scattered light is detected out to a projected distance of ∼0′′39 (∼42 au) from the central star concentrated in a bright arc with, however, a significant difference in brightness between the east and west sides (factor of −2.5). This is further discussed in Sects. 4.1.2 and 5.3. In the reduced $U_\phi$ image there is some residual signal left, which has usually been interpreted as instrumental effects or as imperfect centering of the images. However, since the $U_\phi/Q_\phi$ peak-to-peak value amounts to 9% and owing to the high inclination of the disk around T Cha (69 deg is determined from the total intensity image modeling, see Sect. 4.1.2), multiple scattering (e.g., Bastien & Menard 1999; Fischer et al. 1996; Ageorges et al. 1996), that is, scattering of already polarized light, in the inner disk might be the prime contributor to this signal. This is consistent with a theoretical study by Canovas et al. (2015), who found that even for moderate disk inclinations multiple scattering alone can produce significant non-azimuthal polarization above the noise level in the $U_\phi$ images. They showed that the $U_\phi/Q_\phi$ peak-to-peak value can even go up to 50% for a disk inclination of 70 deg depending on the mass and grain size distribution of the disk model. We note that the exact geometrical structure of the $U_\phi$ signal might be influenced by the reduction method described in Sect. 2.1 (correction for the instrumental crosstalk by minimizing $U_\phi$). Therefore, we are not going to force our model to also fit the $U_\phi$ in addition to the $Q_\phi$. However, in order to prove that the $U_\phi$ signal is indeed real, we evaluate our IRDIS-DPI data with a newly developed reduction method, independent of the one presented in Sect. 2.1. By using the detailed Mueller matrix model of van Holstein et al. (in prep.) and de Boer et al. (in prep.) we correct our measurements for instrumental polarization effects. This model describes the complete optical path of SPHERE/IRDIS, i.e. telescope and instrument, and has been fully validated with measurements using SPHERE’s internal source and observations of unpolarized standard stars (van Holstein et al., in prep.). The images of Stokes $Q$ and $U$ incident on the telescope are computed by setting up a system of equations describing every measurement of $Q$ and $U$ and solving it – for every pixel individually – using linear least-squares. The resulting $Q_\phi$ image (Fig. 2, left panel) is very similar to the one from the first reduction (Fig. 1, top left panel). The new $U_\phi$ image (Fig. 2, middle panel) has a higher accuracy than the one from the reduction that minimizes $U_\phi$ (Fig. 1, bottom left panel), in particular because no assumptions about the angle of linear polarization of the source are made to correct for the instrumental polarization. The $U_\phi$ image is cleaner and shows more symmetry in the sense that there is also a strong signal to the south-west. On the top right, the positive $U_\phi$ signal from Fig. 1, bottom left, is not visible anymore. The right panel of Fig. 2 shows the polarized intensity overplotted with polarization vectors representing the angle of linear polarization. This strengthens that there is a clear departure from azimuthal polarization. For the model-corrected images the $U_\phi/Q_\phi$ peak-to-peak value increases from 9% to 14%, suggesting that some of the actual physical $U_\phi$ signal has been removed in the original reduction method due to the $U_\phi$ minimization procedure. A detailed comparison between different reduction methods and the specific influence on the left-over $U_\phi$ signal will be the topic of the two follow-up SPHERE papers.

The optical images obtained with ZIMPOL (Fig. 1, right panel) corroborate the disk geometry, but the bad weather conditions and low Strehl ratio (43% at 0.65 μm) of this observation
lead to a rather blurred structure. Again, positive and negative patterns (dark and bright color) alternate in the $U_{\phi}$ image, where these negative patterns are practically at the same location as in the IRDIS $U_{\phi}$ image.

### 3.2. Total intensity images

In addition to the polarimetric images, the IRDIS-ADI $H2H3$ intensity images in Fig. 3 also clearly show the inclined disk around T Cha. It even more strongly brings out the inner rim of the outer disk on the far side, visible as a faint arc below the coronagraph. The double-arch structure is a recurrent new form of features we have been detecting with high-contrast imaging instruments such as SPHERE (cf. Janson et al. 2016; Garufi et al. 2016). We note that because of the ADI processing this image may have been biased and is not a faithful representation of the true intensity and geometry. The residual signal northeast of the image center is likely due to stellar residuals. However, this signal is almost aligned with the near minor axis, so the possibility that it is real cannot be completely excluded. In fact, it could be the marginal detection of some material outward of the ring with high scattering efficiency. The brightness asymmetry between the west and east disk wings is as pronounced as in the polarimetric images, especially for reduction #2. Figure 4 illustrates the median IFS image across the wavelength range from $Y$- to $J$-band. The disk is nicely resolved, confirming the disk geometry and surface brightness extension stated above.

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**Fig. 2.** Mueller matrix model-corrected IRDIS-DPI $Q_{\phi}$ (left), $U_{\phi}$ (middle) and polarized intensity $PI = \sqrt{Q_{\phi}^2 + U_{\phi}^2}$ (right) images. North is up, east is left. Note that the $Q_{\phi}$ and $U_{\phi}$ images are not normalized/saturated here on purpose to emphasize their partially negative signal. The inner 0.′18 are masked, represented by the black circular area. The orange stripes in the right image represent the angle of linear polarization (fixed length, not scaled with the degree of polarization).

**Fig. 3.** IRDIS-ADI $H2H3$-band images (mean across the wavelengths) based on three different reduction pipelines (#1: MPIA-PCA, #2: SpeCal-PCA and #3: SpeCal-TLOCI). North is up, east is left. The images are normalized to the highest disk brightness and the color scales consider the same dynamical range. The inner 0.′18 region masked by the coronagraph is represented by the black circular area.
The surface density structure is defined by a power-law which would cast shadows onto the outer disk (cf. the cases of since there is no significant evidence for a misaligned inner disk, outer radius $(r_{\text{out}})$ each, a narrow inner disk close to the central star that is responsible for the NIR excess and a more extended outer disk. Inner and outer disks are assumed to be coplanar, since there is no significant evidence for a misaligned inner disk, which would cast shadows onto the outer disk (cf. the cases of HD 142527, Marino et al. 2015 and HD 100453, Benisty et al. 2017). The surface density structure is defined by a power-law

$$\Sigma(r) = \Sigma_0 \left( \frac{r}{r_c} \right)^{-\delta} \exp \left[ - \left( \frac{r}{r_c} \right)^{-2\delta} \right],$$

where $r_c$ corresponds to a characteristic radius and $\delta$ denotes the surface density index. For the sake of simplicity, we assume a uniform distribution along the azimuth in our model and concentrate on the radial disk structure. The disk scale height is parameterized radially as $H(r) = H_0 (r/r_0)^{\delta}$, where $H_0$ is the scale height at a reference radius $r_0$ and $\delta$ is the flaring index. The vertical density distribution follows a Gaussian profile, so that the dust volume density is given by

$$\rho(R, \varphi, z) = \frac{\Sigma(R)}{\sqrt{2\pi} H(R)} \exp \left( -\frac{z^2}{2H^2(R)} \right),$$

where the spherical coordinates $R$ and $z$ can be converted into cylindrical coordinates with $R = r \sin(\theta)$ and $z = r \cos(\theta)$, where $\theta$ is the polar angle. We consider a power-law grain size distribution with an index $p = -3.5$, $\mathrm{d}n(a) \propto a^p \mathrm{d}a$ between a minimum $(a_{\text{min}})$ and maximum grain size $(a_{\text{max}})$. During our modeling process we use different values for the parameters $a_{\text{min}}$ and $a_{\text{max}}$, where two distributions are eventually find to give an equally good match for the total intensity image (cf. Sect. 4.1.2). The dust is assumed to be a mixture made of silicates (Draine 2003), carbon (Zubko et al. 1996), and water ice (Warren & Brandt 2008) with fractional abundances of 7%, 21%, and 42%, consistent with Ricci et al. (2010). The remaining 30% is vacuum. The opacity of the mixture is determined by means of the Bruggeman mixing formula. The absorption and scattering opacities, $\kappa_{\text{abs}}$ and $\kappa_{\text{scat}}$, as well as the scattering matrix elements $S_{ij}$ are calculated for spherical, compact dust grains with Mie theory considering the BHMIE code of Bohren & Huffman (1983).

### References

- Olofsson et al. (2013)
- Huélamo et al. (2015)

### Tables

#### Table 2. Overview of the best RADMC-3D model parameters.

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Inner disk</th>
<th>Outer disk</th>
</tr>
</thead>
<tbody>
<tr>
<td>$r_{\text{in}}$ [au]$^a$</td>
<td>0.07$^a$</td>
<td>30</td>
</tr>
<tr>
<td>$r_{\text{out}}$ [au]$^a$</td>
<td>0.11$^a$</td>
<td>60</td>
</tr>
<tr>
<td>$r_c$ [au]</td>
<td>-</td>
<td>50$^b$</td>
</tr>
<tr>
<td>$M_{\text{dust}}$ [$M_\odot$]</td>
<td>$2 \times 10^{-11}$</td>
<td>$9 \times 10^{-5}$</td>
</tr>
<tr>
<td>$\delta$</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>$H_0/r_0$</td>
<td>0.02(0.1)$^a$</td>
<td>4/50$^b$</td>
</tr>
<tr>
<td>$\beta$</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>$[\lambda_{\text{min}}, \lambda_{\text{max}}]$ [$\mu$m]$^*$</td>
<td>(0.01, 1000)</td>
<td>(0.01, 1000)</td>
</tr>
<tr>
<td>$p$</td>
<td>-10</td>
<td>-10</td>
</tr>
<tr>
<td>incl [deg]$^a$</td>
<td>69</td>
<td>69</td>
</tr>
<tr>
<td>PA [deg]$^a$</td>
<td>114</td>
<td>114</td>
</tr>
</tbody>
</table>

Notes. $\delta$ denotes the exponent of the surface density power-law and $\beta$ corresponds to the disk flaring index. For the radiation source we take the following star parameters: $T_{\text{eff}} = 5400$ K, $M = 1.5 M_\odot$, $R = 1.3 R_\odot$, where the star is assumed to be spherical. All parameters marked with an asterisk symbol (*) were varied during the radiative transfer modeling. The grain size distributions as well as inclination and PA were taken to be the same for the inner and outer disk.

### Diag Check

### 4. Analysis

#### 4.1. Radiative transfer modeling of the disk

We build a radiative transfer model for T Cha aiming to reproduce the basic structure of its disk. We take earlier efforts (Olofsson et al. 2011, 2013; Huélamo et al. 2015) as a starting point for independent three-dimensional (3D) radiative transfer calculations using the Monte Carlo code RADMC-3D1 (Dullemond et al. 2012). We aim to complement the current understanding of the disk geometry by also taking into account our new SPHERE data. RADMC-3D is used to calculate the thermal structure of the dust disk and ray-traced synthetic scattered light images in the NIR. The polarization of RADMC-3D was investigated by Kataoka et al. (2015), who performed a benchmark test against the numerical models presented in Pinte et al. (2009).

#### 4.1.1. Modeling approach

The disk around T Cha is parametrized using constraints obtained from previous analyses of data sets (cf. Olofsson et al. 2011, 2013; Huélamo et al. 2015) and from the new SPHERE observations presented in this paper. We assume the disk to be composed of two spatially separated zones with an inner ($r_{\text{in}}$) and outer radius ($r_{\text{out}}$) each, a narrow inner disk close to the central star that is responsible for the NIR excess and a more extended outer disk. Inner and outer disks are assumed to be coplanar, since there is no significant evidence for a misaligned inner disk, which would cast shadows onto the outer disk (cf. the cases of HD 142527, Marino et al. 2015 and HD 100453, Benisty et al. 2017). The surface density structure is defined by a power-law profile and an exponential taper at the outer edge of the outer component (e.g., Hughes et al. 2008),

$$\Sigma(r) = \Sigma_0 \left( \frac{r}{r_c} \right)^{-\delta} \exp \left[ - \left( \frac{r}{r_c} \right)^{-2\delta} \right],$$

where $r_c$ corresponds to a characteristic radius and $\delta$ denotes the surface density index. For the sake of simplicity, we assume a uniform distribution along the azimuth in our model and concentrate on the radial disk structure. The disk scale height is parameterized radially as $H(r) = H_0 (r/r_0)^{\delta}$, where $H_0$ is the scale height at a reference radius $r_0$ and $\delta$ is the flaring index. The vertical density distribution follows a Gaussian profile, so that the dust volume density is given by

$$\rho(R, \varphi, z) = \frac{\Sigma(R)}{\sqrt{2\pi} H(R)} \exp \left( -\frac{z^2}{2H^2(R)} \right),$$

where the spherical coordinates $R$ and $z$ can be converted into cylindrical coordinates with $R = r \sin(\theta)$ and $z = r \cos(\theta)$, where $\theta$ is the polar angle. We consider a power-law grain size distribution with an index $p = -3.5$, $\mathrm{d}n(a) \propto a^p \mathrm{d}a$ between a minimum $(a_{\text{min}})$ and maximum grain size $(a_{\text{max}})$. During our modeling process we use different values for the parameters $a_{\text{min}}$ and $a_{\text{max}}$, where two distributions are eventually find to give an equally good match for the total intensity image (cf. Sect. 4.1.2). The dust is assumed to be a mixture made of silicates (Draine 2003), carbon (Zubko et al. 1996), and water ice (Warren & Brandt 2008) with fractional abundances of 7%, 21%, and 42%, consistent with Ricci et al. (2010). The remaining 30% is vacuum. The opacity of the mixture is determined by means of the Bruggeman mixing formula. The absorption and scattering opacities, $\kappa_{\text{abs}}$ and $\kappa_{\text{scat}}$, as well as the scattering matrix elements $S_{ij}$ are calculated for spherical, compact dust grains with Mie theory considering the BHMIE code of Bohren & Huffman (1983).

1 The RADMC-3D source code and more details are available online at http://www.ita.uni-heidelberg.de/~dullemond/software/radmc-3d/
The radiative transfer calculations start with computing the dust temperature consistently by means of a thermal Monte Carlo simulation using 10^7 photon packages. Hence, an equilibrium dust temperature is calculated considering the star as the source of luminosity. The main inputs for the radiative transfer modeling are the dust density structure from Eq. (5) and the dust opacities. Full non-isotropic scattering calculations are performed that take multiple scattering and polarization into account. To compare with the observations, synthetic Stokes $I$ intensity images, and Stokes $Q$ and $U$ polarized intensity images are produced at $H$-band (1.6 $\mu$m) using 10^8 photon packages. These theoretical images are then convolved with a Gaussian PSF with a FWHM of 0.004 assuming the object to be at 107 pc. Moreover, the synthetic total intensity images are run through the MPIA-PCA and SpeCal-PCA processing described in Sect. 2.3 to have a proper comparison. The polarimetric Stokes $Q$ and $U$ images are eventually converted into their azimuthal counterparts $Q_\phi$ and $U_\phi$. All synthetic images are normalized to the highest disk surface brightness and displayed using the same dynamical range as for the observational data. The coronagraph used in our IRDIS observations is mimicked by masking the inner 0″18 of the disk (19.3 au at 107 pc distance).

4.1.2. Best model

The inner disk geometry parameters are adopted from Olofsson et al. (2013) and are kept fixed in the modeling process. By adjusting the parameters from Huélamo et al. (2015) and Olofsson et al. (2013) and are kept fixed in the modeling process. The inner disk geometry parameters are adopted from Huélamo et al. (2015). Our disk model gives a qualitative fitting routine since computing tens of thousands of 3D models for the T Cha system is computationally far too expensive. The best parameters are summarized in Table 2. The model parameter ranges set. For this determination the images of both, data and models, are normalized to the highest flux value outside of the coronagraph. There is, however, no automatic fitting routine since computing tens of thousands of 3D images allow us to better constrain the position of the inner rim of the outer disk, which we find to be at a significantly larger radius of ~30 au (~0″28) compared to earlier work. Hence, the cavity size between the inner and outer disk is correspondingly larger than previously thought (Olofsson et al. 2013). Furthermore, the polarimetric measurements provide us better estimates of the grain sizes.

Synthetic total intensity images

Figure 5, left panel, shows the synthetic Stokes $I$ image at $H$-band from the first of our two radiative transfer models. It is produced at a disk position angle of PA = 114° and an inclination angle of $i = 69°$, which is similar to those values derived in Huélamo et al. (2015). Our disk model gives a qualitatively good match with the IRDIS total intensity images from Fig. 3. The bright arc as the dominant source of scattered light is well reproduced and corresponds to forward scattered light from the near side of the inclined disk. The ADI images may, however, be significantly altered by the software processing, which was already shown by Garufi et al. (2016) for the case of HD 100546. This ADI bias is especially important for T Cha, since the self-subtraction is strong due to the small field rotation and high inclination. Thus, we apply the ADI processing routines to the model image. To do so we process the model image rotated by 70 deg with the raw data considering the same PCA parameters. The middle and right panels of Fig. 5 show the resulting post-processed images depending on the PCA reduction method. The ADI procedure damps the signal of the backside of the disk and introduces a brightness asymmetry along the disk surface. Thus, an original azimuthally symmetric feature can be seen as an asymmetric double-wing structure for a specific disk geometry and orientation. We note here that we additionally favor a physical reason for this asymmetry, since this is also seen in the polarimetric images (cf. Sect. 5.3). The ADI processed model image supports that the geometrical parameters used in our model, in particular the gap size, reproduce the observations nicely.

The fraction of star light scattered off the disk surface layer towards the observer depends on the disk properties (e.g., mass and scattering height), but is independent of the wavelength, have strongly forward peaking scattering phase function, while small grains scatter photons almost isotropically. When keeping the minimum dust grain size fixed at 0.01 $\mu$m, a maximum grain size of at least 100 $\mu$m is requested to match the observations. This serves to reduce the influence of the small grains that are in the Rayleigh limit and absorb radiation much more efficiently than they scatter it. Except for very turbulent disks, one would, however, expect very large grains (>10 $\mu$m) to settle below the scattering surface. The need for large grains in the disk surface can be avoided by removing the smallest grains. Hence, the minimum and maximum values for the dust grain size distribution in our model are somehow degenerate. An equally good image, that also achieves the desired brightness contrast of the arc with respect to the disk backside, is obtained by using a narrow distribution around 10 $\mu$m. Grains of about ten microns in size are strong forward scatterers in the $H$-band. If even larger particles were primarily present, the forward scattering efficiency would be too strong, and the brightness of the disk’s far sides would be too faint. The corresponding synthetic intensity images for the second model and their appearance after the ADI post processing with PCA can be found in Fig. 6.

Synthetic polarimetric images

Our results so far demonstrate that we find a quite good model to match the disk geometry of T Cha. The goal is, however, to also analyze the grain properties compatible with the polarimetric data. For scattering in the Rayleigh and Mie regime, that is, for grains with sizes smaller than or approximately equal the wavelength (2$\sigma \leq \lambda$), maximum polarization is expected along a scattering angle of 90 deg. The phase function $Z_{11}$, the scattering matrix element $-Z_{12}$ and the degree of polarization $-Z_{12}/Z_{11}$ of the dust grains used in our radiative transfer models are shown as a function of the scattering angle $\theta$ in Fig. 7. Comparing those quantities for both models allows us to rule out the first model covering a wide range of grain sizes from 0.01 to 1000 $\mu$m. This, rather, produces maxima in polarized intensity along the semimajor axis (see Appendix A), which is clearly not observed in the SPHERE PDI data from Fig. 1. Although one can recognize an extreme forward peak in $-Z_{12}$, the resulting peak in polarized intensity is hidden behind the coronagraph. For our second model with grains of ~10 $\mu$m the phase function is also dominated by small-angle scattering as seen in the $Z_{11}$ plot, but the $-Z_{12}$ curve has a strong peak at small angles of ~10°. This leads

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2 Each single package actually represents many photons at once assuming that these photons follow the same path.
to the spatial shift of brightness maxima away from the semi-major axis (i.e., scattering at 90 deg), meaning that the maximum polarized intensity occurs at the forward scattering position. This is in good agreement with our polarimetric SPHERE observations.

Figure 8 shows the synthetic $Q_\phi$ and $U_\phi$ images at $H$-band for the second model, with a disk position angle of $PA = 114^\circ$ and an inclination of $i = 69^\circ$; both determined from the fit to the total intensity image. The $Q_\phi$ image is dominated by large positive signal, which is consistent with forward scattering from the...
Fig. 8. Synthetic $Q_\phi$ (left) and $U_\phi$ (right) images at $H$-band. They are convolved with a Gaussian PSF with FWHM of 0\arcsec04 (at 107 pc distance). The color scale is arbitrary, the dynamical range is similar as in Fig. 1. Negative values of $U_\phi$ are saturated at dark blue color.

Fig. 9. Synthetic Stokes $I$ (left) and $Q_\phi$ (right) images at $H$-band of model #2, where the star is slightly offset from its original central position along the semi-major axis. The images are convolved with a Gaussian PSF with FWHM of 0\arcsec04 (at 107 pc distance). The color scales are identical to Figs. 5 and 8, respectively.

close edge of the disk. The small-scale brightness blobs could be due to self-scattering of thermal emission or the result of multiple scattering treatment in the radiative transfer calculations. Monte Carlo noise can be ruled out as the source of these features since the best models were also run with a higher number of photon packages ($10^9$) for testing, confirming that our calculations are converged. Similar to the observed $U_\phi$ image, the $U_\phi$ model image shows an alternation of positive (white) and negative (dark blue) signal, although the exact geometry appears different. The extension of the south-east lobe with negative signal is comparable to that in the observational image in Figs. 1 (bottom left panel) and 2. The positive signal is a bit less pronounced in our calculated model. Since the $U_\phi$ signal in the observational image can be substantially influenced by noise, instrumental effects, and the data reduction procedure, which is not included in our modeling, such a deviation was to be expected. The $U_\phi/Q_\phi$ peak-to-peak value for the best model is about 15\%, which is still in very good agreement with the observations (9\% and 14\%), but lower than calculated in the study by Canovas et al. (2015) on non-azimuthal linear polarization. For their models and in our RADMC-3D calculations we consider a full treatment of polarized scattering off randomly oriented particles. Due to the absence of any instrumental influence on the polarization, the $U_\phi$ signal visible in the model images should be primarily connected
to multiple scattering events happening in the disk. However, the contribution of multiple scattering strongly depends on the disk inclination, the grain population and the mass of the disk. In Canovas et al. (2015) the signal in $U_\phi$ reaches up to 50% of the $Q_\phi$, but only for an inclination of 70 deg, a grain size distribution with $a_{\min,\max} = (5, 1000) \mu m$, and a disk significantly more massive than assumed for our T Cha model. A higher disk mass produces more scattering events as simply more scattering particles are available. Furthermore, the higher scattering efficiency of the grains relative to their absorption efficiency results in stronger multiple scattering signature in the models of Canovas et al. (2015). These effects can explain the discrepancy to our $U_\phi/Q_\phi$ peak-to-peak value of only 15%.

### East-west brightness asymmetry

The clear asymmetry in brightness along the inner edge of the outer disk from the observations is naturally not produced with our symmetric disk model with spatially invariant dust properties. A slightly offset disk is one possibility for explaining the origin of the asymmetry and we explore this scenario in the following. We take our best axisymmetric model and slightly displace the star along the semi-major axis with respect to its original central position, while keeping the general disk structure unchanged. This is directly implemented into the radiative transfer code and not performed in a post-processing manner. A grid of additional models is computed, where the magnitude of the physical offset between the center of the T Cha disk and the position of its host star is changed between 0.5 and 2.5 au. We are only interested whether such a scenario is principally reliable, so we abstain from a fitting procedure. A value of $x = 2.1$ au, where $x$ is measured along the disk’s semi-major axis, represents a reasonable match. The offset we apply is equivalent to a disk eccentricity of $e \approx 0.07$. This way a brightness contrast between the east and west sides of 2 (Stokes I) and 3 (Stokes Q) can be reached (see Fig. 9), consistent with the observational constraints. Other possible scenarios for the brightness asymmetry are discussed in Sect. 5.3.

### 4.2. Point source analysis

One candidate companion (CC) is detected in the IRDIS field of view (Fig. 10), whereas no point-like sources are found in the IFS image. The speckle pattern is reduced in each frame of the sequence by subtracting an optimized reference image calculated by the TLOCI algorithm (Marois et al. 2010) implemented in SpeCal. We estimate the astrometry and photometry of this companion candidate using the calibrated unsaturated PSF (Galicher & Marois 2011) to remove biases. First, we roughly estimate the flux and position of the source in the TLOCI image. The SpeCal pipeline then creates a data cube of frames that only contain the unsaturated PSF at the candidate position on the detector, accounting for the field-of-view rotation in each frame. The TLOCI coefficients used to generate the TLOCI image where the candidate is detected are applied on the candidate data cube. The resulting frames are rotated to align north up. The median of these frames provides the estimation of the candidate image in the TLOCI image. We then adjust the estimated image subpixel position and its flux to minimize the integrated flux of the difference between the real and estimated candidate images. We use a $3 \times FWHM$ diameter disk for the minimization. The 1$\sigma$ error bars are the required excursions in position or in flux to increase the minimum residual flux by a factor of $\sqrt{15}$ (cf. Galicher et al. 2016, Galicher et al., in prep.). We empirically determine this factor running tests on sequences, in which we inject known fake planets. Using the calibrated unsaturated PSF, we also estimate the TLOCI throughput in all TLOCI sections following a procedure similar to the one used for the candidate position and flux estimation. The images were thus flux calibrated. The systematic errors for the astrometry of the detected companion candidate include the uncertainties on the pixel scale, North angle, frame centering using the satellite spots, accuracy of the IRDIS dithering procedure, anamorphic correction and SPHERE pupil offset angle in pupil-tracking mode (Vigan et al. 2016; Maire et al. 2016). The calibration uses pixel...
The IRDIS detection limits for point sources are determined using the TLOCI data reduction. We estimate the 5σ noise level, where σ is the azimuthal robust deviation of the residual flux in an annulus of λ/D width rejecting pixels with no flux. Finally, the 5σ noise levels are divided by the stellar flux estimated from the unsaturated images. The maximum contrast reached with IFS is obtained by applying the PCA technique. The contrast limits are determined by an azimuthal standard deviation, that is, between pixels at the same separation from the star, for each angular separation, corrected by the star flux (obtained from the off-axis PSF images taken immediately before and after the coronagraphic observations) and the algorithm throughput (using synthetic companions injected into the data before the data processing as described above).

In Fig. 13 the contrast curves obtained for the different data sets are shown. The IRDIS data give a 5σ contrast for a separation larger than 1.0′′ of greater than 12.5 mag and 12.6 mag in the H2 and H3 bands, respectively. Compared with NACO Ks band results (cf. Chauvin et al., 2010), these observations are deeper by more than three magnitudes at a separation of 0′′7, that is, at the outer edge of the NACO coronagraph, while the contrast values at wider separations are comparable. IFS is deeper in contrast for separations closer than 0′′6 and gives 12 mag in the I1 band at a separation of ~0′′7, assuming a gray contrast between the two objects.

Using the theoretical atmospheric models AMES-COND (Allard et al. 2003) we convert the contrast limits into upper limits on the mass of possible objects orbiting around T Cha. These models are valid for $T_{\text{eff}} < 1400$ K and consider that the dust immediately radiates out from the photosphere after its formation. We assume a system age of 7 Myr (Torres et al. 2008). This leads to a mass limit of $\sim 8.5 M_{\text{jup}}$ in the innermost regions ($\sim 0′′1$ to $0′′2$), decreasing to $\sim 2 M_{\text{jup}}$ for a separation between $0′′4$ and $5′′0$. Our new SPHERE observations, therefore, improve the NACO mass limits especially up to $\sim 1′′5$. Both, the contrast and mass curve are cut at $0′′6$ and gives 12 mag in the I1 band at a separation of $\sim 0′′7$, assuming a gray contrast between the two objects.

4.3. Detection limits on substellar companion candidates

The IRDIS detection limits for point sources are determined using the TLOCI data reduction. We estimate the 5σ noise level, where σ is the azimuthal robust deviation of the residual flux in an annulus of λ/D width rejecting pixels with no flux. Finally, the 5σ noise levels are divided by the stellar flux estimated from the unsaturated images. The maximum contrast reached with IFS is obtained by applying the PCA technique. The contrast limits are determined by an azimuthal standard deviation, that is, between pixels at the same separation from the star, for each angular separation, corrected by the star flux (obtained from the off-axis PSF images taken immediately before and after the coronagraphic observations) and the algorithm throughput (using synthetic companions injected into the data before the data processing as described above).

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5. Discussion

5.1. Disk geometry

Our analysis and modeling of the SPHERE data set confirms that the disk around T Cha consists of an inner disk part and an outer disk part, separated by a cavity. Compared to the previous study by Olofsson et al. (2013) we find the small dust cavity size to be larger by a factor of \( \sim 2 \). Besides, it is even larger than the mm dust cavity of 20 au estimated in Huélamo et al. (2015). This is rather unexpected, as the dust trapping scenario for transition disks is supposed to work such that bigger dust is trapped at a ring located outside of the small dust/gas cavity edge (see e.g., Pinilla et al. 2012; van der Marel et al. 2015). This possible contradiction could be, however, due to uncertainties in the model fitting of data with low resolution by Huélamo et al. (2015). An inclination angle of \( \sim 69^\circ \) and PA of \( \sim 114^\circ \) best match our SPHERE observations, which is in agreement with Huélamo et al. (2015). Our new optical and near-infrared data do not, however, help us to constrain the outer disk radius. In our radiative transfer model we considered a tapered density profile for the dust density description of the outer disk, meaning that the surface density falls off gradually and hence, there is a smooth decrease of the dust mass per radius bin. However, simultaneously reproducing the gas and dust components of the disk remains challenging, and including this in our modeling effort is beyond the scope of this paper.

5.2. Grain properties

To simultaneously match the total intensity and polarimetric images obtained during our SPHERE observations, intermediate sized grains of \( \sim 10 \mu m \) must be present in the disk. This provides a better match with the observed properties of the disk than dust distributions covering several orders of magnitudes in size or a narrow distribution peaking at (sub-)micron size. This is in accordance with current grain growth models producing systematically larger grains, although we cannot guarantee that \( \sim 10 \mu m \) grains are located at the upper surface layer. By means of scattered light observations in the NIR we only trace the disk surface where the micron-sized grains are located for sure. Compact grains of a few tens of microns are expected to start settling down toward the disk midplane. The efficiency and timescale of vertical mixing depends, however, on the level of turbulence in disks which is still uncertain. With strong turbulence (high \( \alpha \)-viscosity, Shakura & Sunyaev 1973) all grain sizes are better mixed. Thus, even larger grains can be present in the disk surface where they can contribute to the scattering. Furthermore, the amount of porosity of dust grains is unknown and still debated (e.g., Ossenkopf 1993; Dominik & Tielens 1997; Kataoka et al. 2014). For fractal aggregates with high porosity the phase function is supposed to differ (Tazaki et al. 2016), which might alter our grain picture for T Cha. A larger porosity for the same grain size might reduce the settling, where the size of the monomers still determines the absorption and scattering opacities. As shown by Min et al. (2012), the appearance of a disk in scattered light could be different depending on the fraction of fluffy aggregated dust particles compared to compact grains contained in the disk. We also note that very large grains (mm size) are indeed also expected to be present in the midplane in order to match the (sub-)mm data (cf. Huélamo et al. 2015).

5.3. Brightness asymmetry along the disk surface

The intensity and polarized intensity distributions observed for T Cha are asymmetric with respect to the minor axis of the disk. Similar brightness variation has also been detected in other disks, such as RY Tau (Takami et al. 2013) and AK Sco (Janson et al. 2016). In our radiative transfer modeling we explored the origin of the east-west asymmetry seen along the semi-major axis in the SPHERE observations by looking into the simplest possibility of a slightly offset disk. We approximate such an eccentric disk by calculating scattered light images of an azimuthally symmetric disk, but introducing an offset between the disk center and the star. A planetary companion on an eccentric orbit could shape the outer disk into an eccentric disk, causing the offset. Keeping T Cha’s stellar properties as the photon source in the radiative transfer code, but adding a positional offset, already reproduces the observed asymmetry.
However, alternative explanations for the east-west brightness difference cannot be ruled out, and several effects may interact. Another idea is that an asymmetry in the inner disk or at the gap edges can lead to illumination effects helping to explain the dips in scattered light. The circumstellar disk around T Cha may be actually still in an early stage of planetary formation. Thus, a dense dust clump formed in the inner, densest parts of the disk, or an already formed yet undetected planetary perturber below the detection limit, could cause this asymmetry. However, this scenario also raises the question of whether such an anisotropy is indeed stationary or moves with the local Keplerian velocity. A third scenario deals with spatially variant dust properties leading to a different scattering efficiency, which is especially related to grain size, structure, and composition. A possibility would be that unequal dust grain size distributions are present in the east and west wings of the disk, whose origin, however, remains unexplained. A fourth possible scenario leading to the brightness contrast observed is an inner disk significantly tilted with respect to the cavity, and the outer disk with its bright inner rim located at 0′′28 (≈30 au). This is significantly further out than previous estimates. A disk inclination of ~69° and a position angle of ~114° matches the SPHERE data sets best.

2. We confirm that the dominant source of emission is forward scattered light from the near edge of the disk, given the high disk inclination. While small grains in the Rayleigh limit scatter photons rather isotropically and absorb very efficiently, larger dust particles with sizes (a > 1) have strong forward scattering properties. This demands a certain range of grain sizes to be present in the disk. We found that a power-law distribution with $a_{\text{min}} = 0.01 \mu m$ and $a_{\text{max}} = 1000 \mu m$ reproduces the total intensity observations well, but fails to be consistent with the polarimetric images. Thus, we propose a dominant grain size in the disk of ~10 μm. Such grains bring the desired amount of forward scattering and lead to a model that is in accordance with the complete SPHERE data set presented. We note that we restricted ourselves to the analysis of Mie theory and spherical compact grains. However, for aspherical aggregates with high porosity the phase function is supposed to differ, which might alter our grain picture for T Cha.

3. Our highly inclined disk model shows a significant $U_H$ signal at $H$-band, which is in accordance with the observational $U_H/\Omega_a$ peak-to-peak value of 14% and theoretical studies on multiple scattering events. The exact geometrical $U_H$ pattern observed with IRDIS is not reproduced, but the alternating structure of positive and negative lobes is well recognizable.

4. The brightness asymmetry between the east and west sides can be reproduced with a slight offset of the star’s position, representing a disk eccentricity of $e \approx 0.07$. A planetary companion on an eccentric orbit could force the outer disk to become eccentric, causing this offset. However, a locally different grain size distribution and therefore a change of the scattering properties, or illumination effects due to asymmetric structures in the inner disk could also contribute to the brightness contrast observed.

5. A previously known companion candidate is detected in the IRDIS field of view at a separation of $(3.54 \pm 0.01)''$ with contrast $m_{12} = (11.63 \pm 0.04)\, \text{mag}$. We, however, rule out the possibility that this object is bound and, thus, conclude that it is not part of the T Cha system.

6. Our analysis rules out the presence of a companion with mass larger than $-8.5 \, M_{\text{Jup}}$ between 0′′1 and 0′′3 from the central star, and larger than $-2 \, M_{\text{Jup}}$ for wider separations. There could still be lower-mass planets in the outer disk regions and/or planets in the very inner disk.

**References**

Appendix A: Synthetic $Q_\phi$ image of model #1

Fig. A.1. $Q_\phi$ (left) and $U_\phi$ (middle) images of model #1 at $H$-band. The right panel considers the same model, but the star is slightly offset from its original central position along the semi-major axis. The images are convolved with a Gaussian PSF with FWHM of 0\,''04 (at 107 pc distance). The color scale considers the same dynamical range as for the previous synthetic images.